

SS433 as a natural laboratory for astrophysical neutrinos

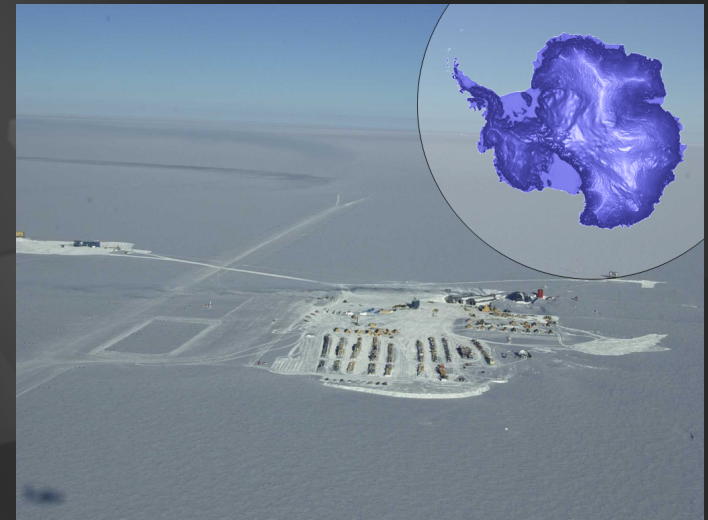


Matías M. Reynoso
(Mar del Plata University - CONICET, Argentina)

In collaboration with
Gustavo E. Romero (IAR-CONICET, Argentina)
and Hugo R. Christiansen (UECE, Brazil)

Outline

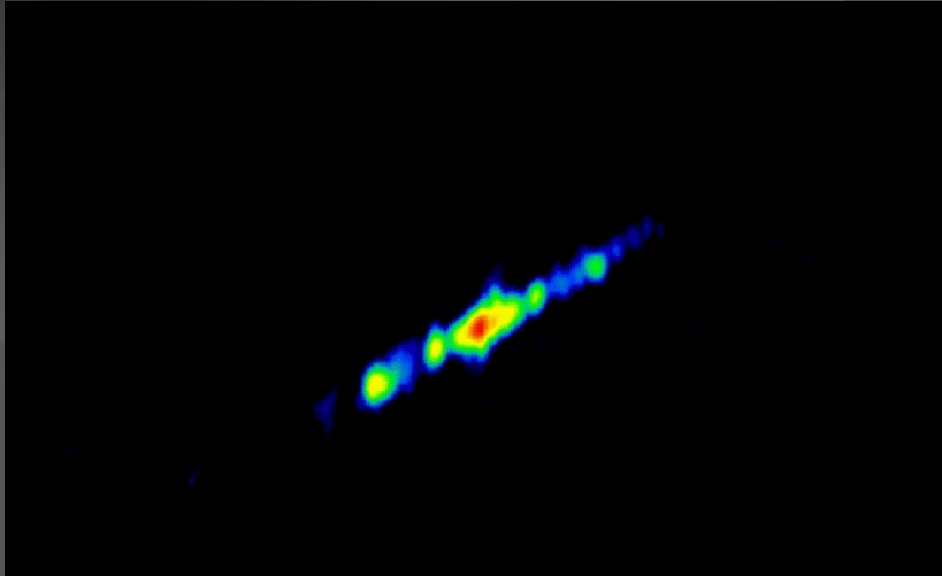
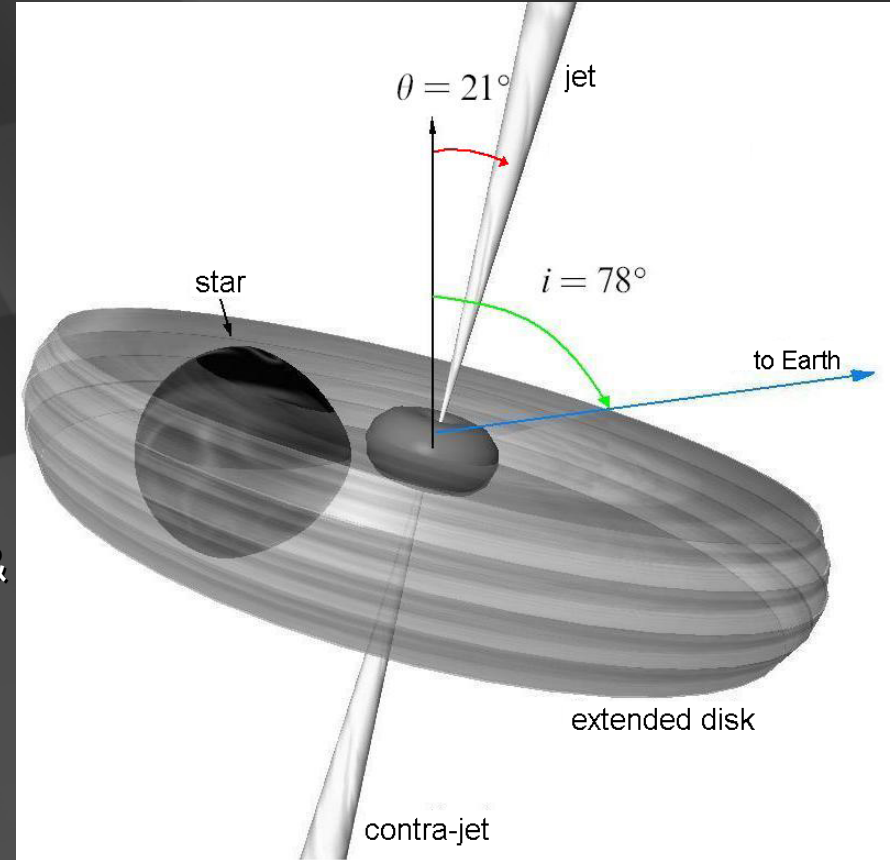
- ◆ Overview of SS433
- ◆ HE processes in the jets
 - Protons and Electrons: shock-accelerated
 - pp and p γ interactions: produce pions
 - pions interact and decay giving leptons and γ -rays
- ◆ Neutrino flux
- ◆ Absorption of γ -rays
 - $\gamma\gamma$ and γN interactions
- ◆ Gamma-ray flux
- ◆ Discussion



Overview of SS433:

SS433: a precessing microquasar with heavy jets

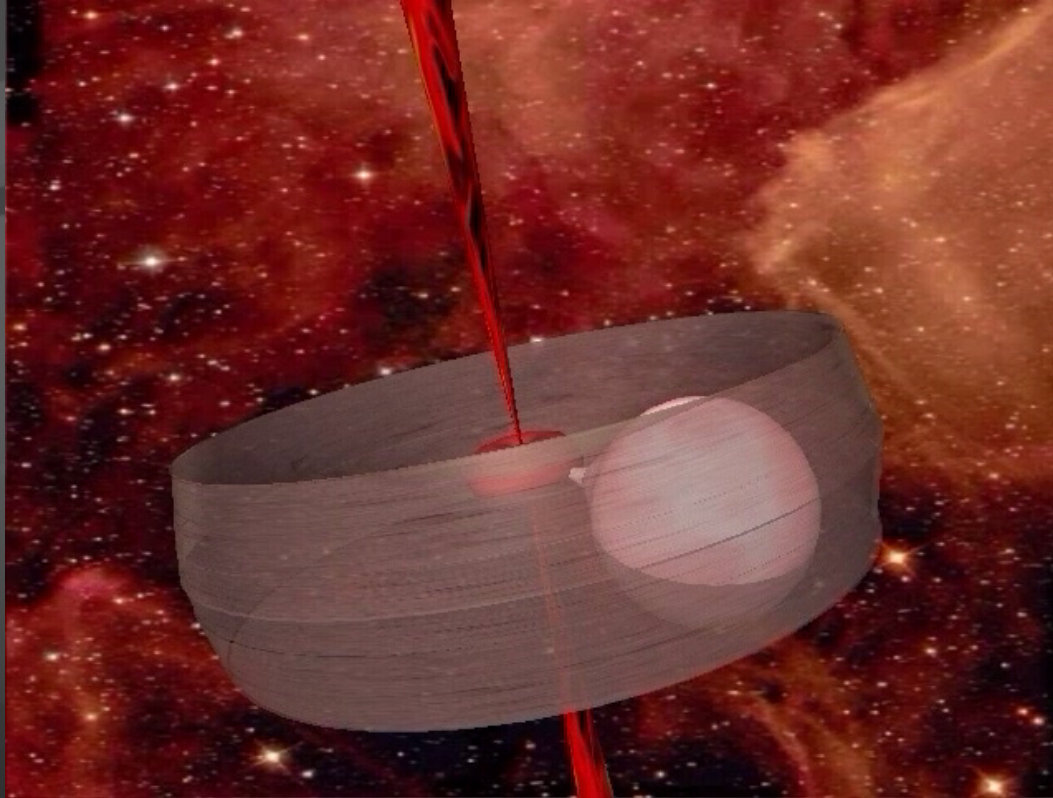
- ◆ Microquasar: normal star + compact object with jets
- ◆ Jets with high kinetic power: $L_k = 10^{39}$ erg/s
- ◆ Fe lines from detected from jets (Migliari et al. 2002)
- ◆ Jets and extended disk wind in precession ($P_{\text{prec}} = 162$ d)
- ◆ Potential neutrino source (Eichler 1980, Learned &



VLBA

Overview of SS433:

a cartoon...



Parameters of the model for SS433

Parameter	Value
L_k : jet kinetic power	$10^{39} \text{erg s}^{-1}$
\dot{m}_j : mass loss rate in the jet	$\sim 5 \times 10^{-7} M_{\odot} \text{yr}^{-1}$
M_{bh} : Black Hole mass	$5M_{\odot}$
M_{\star} : mass of the donor star	$17M_{\odot}$
R_{\star} : radius of the donor star	$32R_{\odot}$
a : orbital separation	$\sim 65.5R_{\odot}$
z_0 : jet's launching point	$50R_g = 3.6 \times 10^8 \text{cm}$
z_{acc} : jet's acceleration point	$3.5 \times 10^9 \text{cm}$
Δz_{acc} : size of acceleration region	$3.5 \times 10^8 \text{cm}$
β_b : bulk jet velocity in units of c	0.26
ξ : jet half-opening angle	0.6°
i_j : angle between LOS and orbital axis	78°
θ : angle between the jet and orbital axis	21°

Relativistic particles in the jets

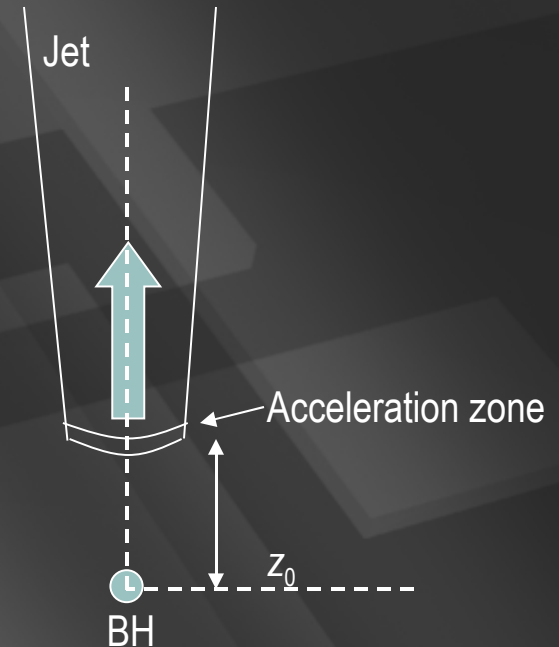
- ◆ One-zone approximation (e.g. Khangulyan et al. 2007)

- ◆ Magnetic Field: $\frac{B^2}{8\pi} = \rho_k^{(\text{exp})} \ll \rho_k^{(\text{bulk})}$

- ◆ Shock acceleration of electrons and protons

Rate: $\frac{1}{E_p} \frac{dE_p}{dt} = t_{\text{acc}}^{-1} = \eta \frac{ceB}{E_p}$

Injection function: $Q'(E') \propto E'^{-\alpha}$ ($\text{GeV}^{-1} \text{cm}^{-3} \text{s}^{-1} \text{sr}^{-1}$)



Power in relativistic particles:

$$L_{e,p} = \int_V d^3r \int_{E_{e,p}^{(\text{min})}}^{E_{e,p}^{(\text{max})}} dE_{e,p} E_{e,p} Q_{e,p}(E_{e,p}, z)$$

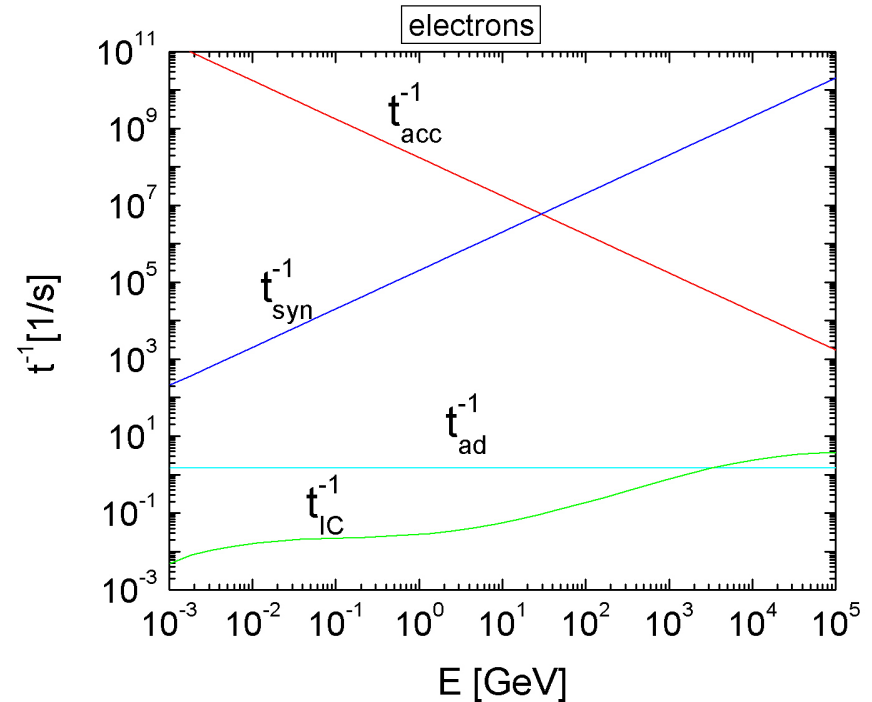
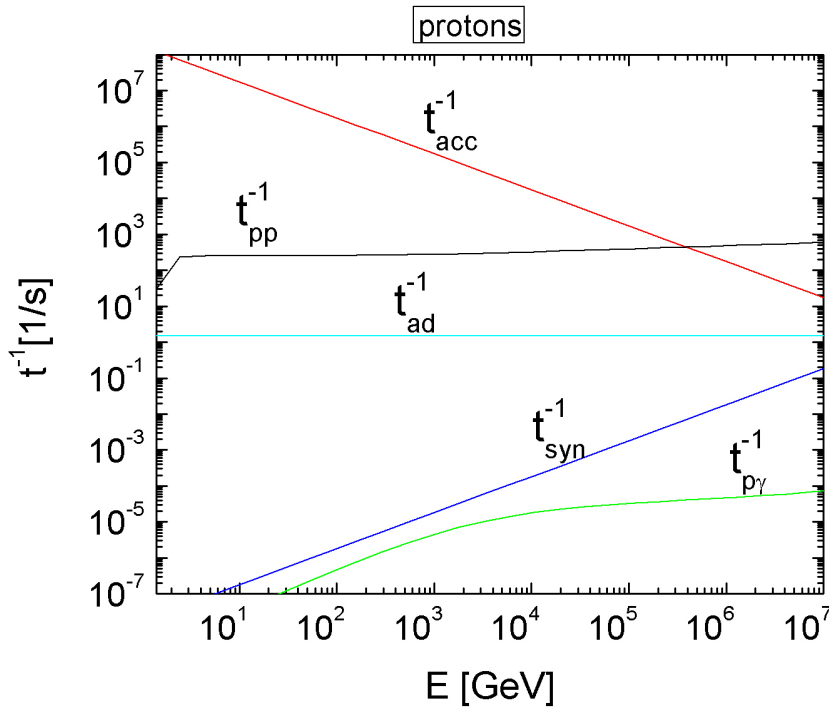
Is a fraction q_{rel} of kinetic power

$$L_{\text{rel}} = q_{\text{rel}} L_k = L_p + L_e$$

and

$$L_p = a L_e$$

Particle interaction rates



Proton energy loss:

$$b_p(E) = -\frac{dE}{dt} = -E \left[t_{\text{syn}}^{-1} + t_{\text{ad}}^{-1} + t_{\text{pp}}^{-1} \right]$$

Electron energy loss:

$$b_e(E) = -\frac{dE}{dt} = -E \left[t_{\text{syn}}^{-1} + t_{\text{ad}}^{-1} \right]$$

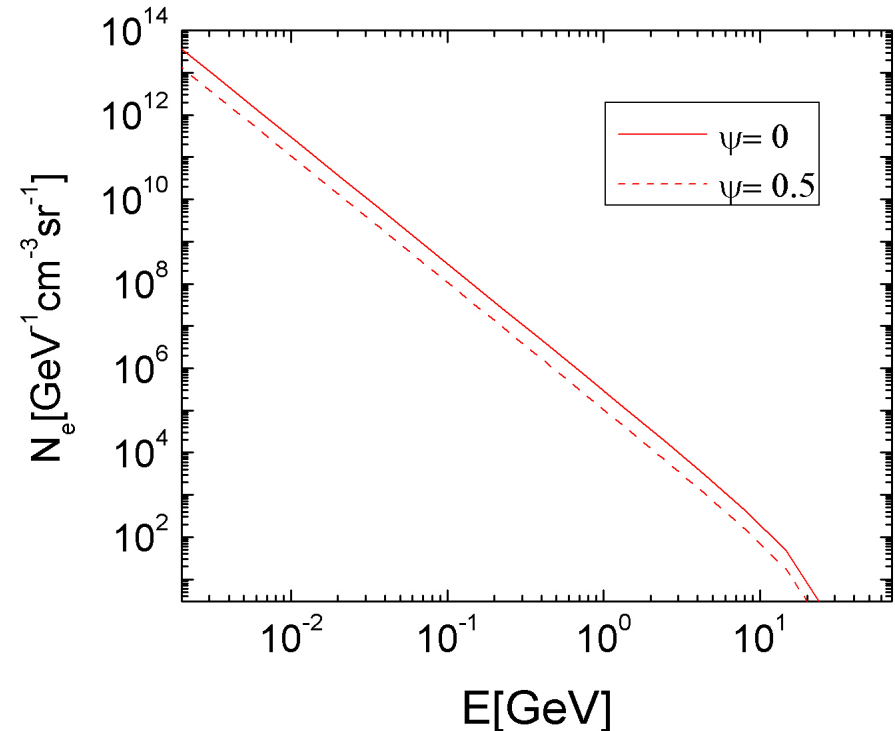
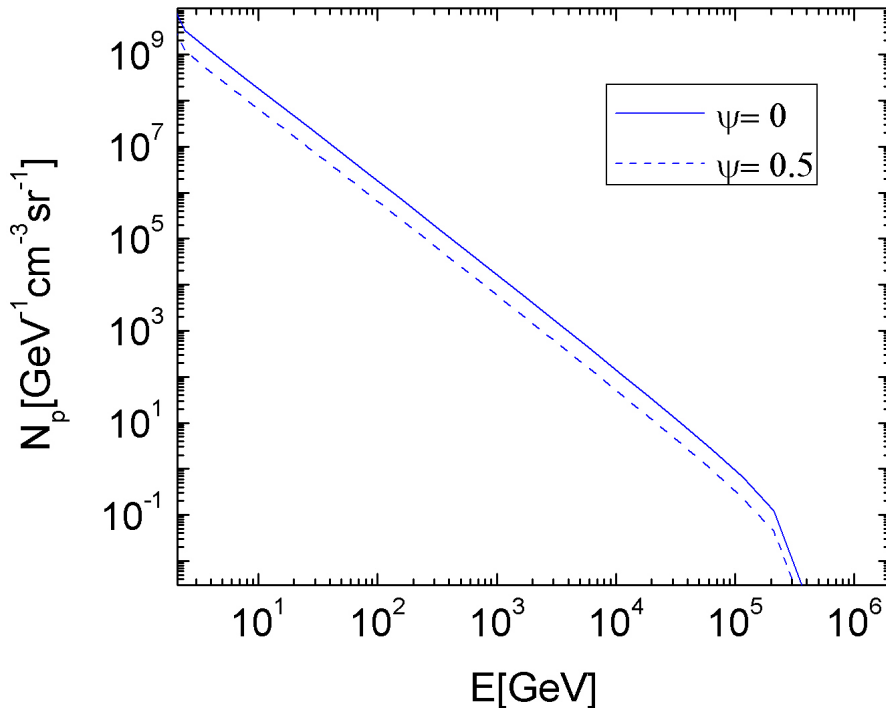
Distributions of primary particles

- ◆ Balance equation

$$\frac{\partial N(E, z)b(E, z)}{\partial E} + t_{\text{esc}}^{-1}(z) N(E, z) = Q(E, z)$$

$$N(E, z) = \frac{1}{|b(E)|} \int_E^{E^{(\max)}} dE' Q(E', z) \exp \left\{ -t_{\text{esc}}^{-1}(z) \tau(E, E') \right\}$$

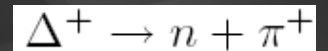
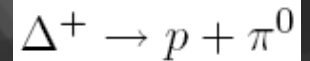
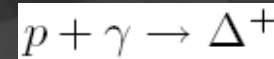
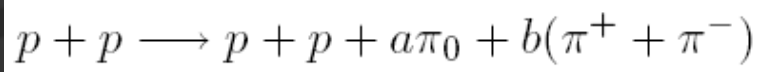
$$\tau(E, E') = \int_E^{E'} \frac{dE''}{|b(E'')|}$$



Secondary pions and muons

◆ Balance equation
$$\frac{\partial [b(E, z)N(E, z)]}{\partial E} + t_{\{\pi, \mu\}}^{-1}(E, z)N(E, z) = Q(E, z)$$

$$t_{\{\pi, \mu\}}^{-1}(E, z) = t_{\text{dec}}^{-1}(E) + t_{\text{esc}}^{-1}(z)$$



◆ Injection functions:

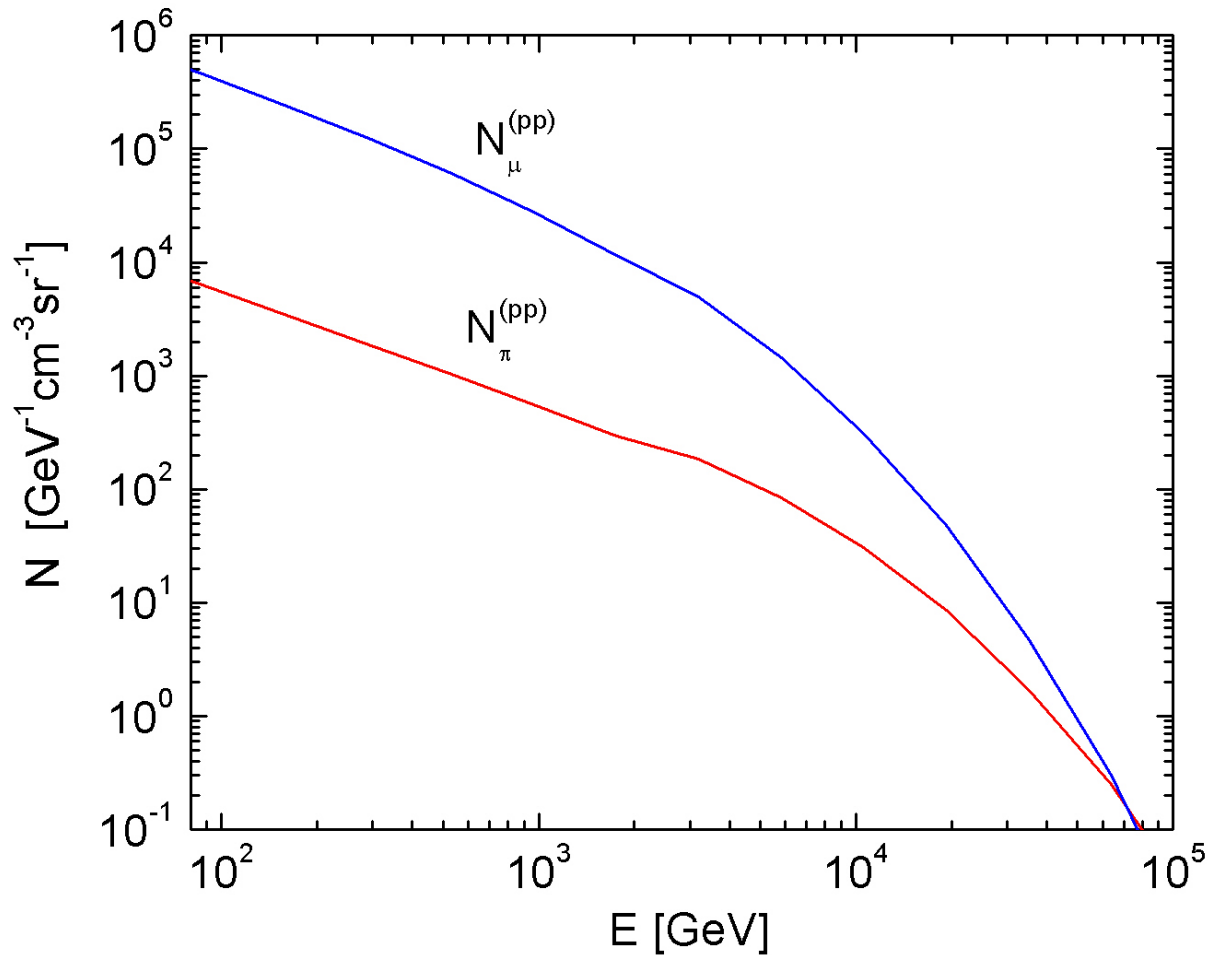
$$Q_{\pi}^{(pp)}(E) = n_c c \int_{\frac{E}{E_p^{(\max)}}}^1 \frac{dx}{x} N_p\left(\frac{E}{x}\right) F_{\pi}^{(pp)}\left(x, \frac{E}{x}\right) \sigma_{pp}^{(\text{inel})}\left(\frac{E}{x}\right)$$

SIBYLL code (Kelner et al. 2006)

$$Q_{\pi}^{(p\gamma)}(E) = \int_E^{E_p^{(\max)}} dE_p N_p(E_p) \omega_{p\gamma}(E_p) n_{\pi}(E_p) \delta(E_{\pi} - 0.2E_p)$$

SOPHIA code (Atoyan & Dermer 2003, see also Kelner et al. 2008)

Charged pions and muon distributions



Gamma-ray and neutrino emission

γ 's:

$$Q_{\gamma}^{(pp)}(E_{\gamma}) = n_c c \int_{E_{\gamma}}^{E_p^{(\max)}} dE_p N_p(E_p) \sigma_{pp}(E_p) F_{\gamma}(E_{\gamma}; E_p)$$

(Kelner et al. 2006)

$$Q_{\gamma}^{(p\gamma)}(E_{\gamma}) = 2 \int dE_{\pi} Q_{\pi^0} \delta(E_{\gamma} - 0.5 E_{\pi})$$

$$\pi^0 \rightarrow \gamma\gamma$$

(Atoyan & Dermer 2003)

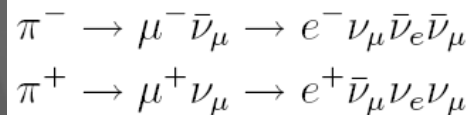
Differential γ -ray flux at Earth [$\text{cm}^{-2} \text{s}^{-1} \text{GeV}^{-1}$]

$$\frac{d\Phi_{\gamma}(E)}{dE} = Q_{\gamma}(E) \Delta V \frac{d\Omega}{dA} \exp[-\tau_{\gamma}(E)] = Q_{\gamma}(E) \frac{\Delta V}{d^2} \exp[-\tau_{\gamma}(E)]$$

Attenuation effect

ν 's:

$$N_{\pi}(E)$$



From

$$N_{\mu}(E)$$

Kinematics of decays (e.g. Lipari et al 2008)

$$Q_{\nu_{\alpha}}(E)$$

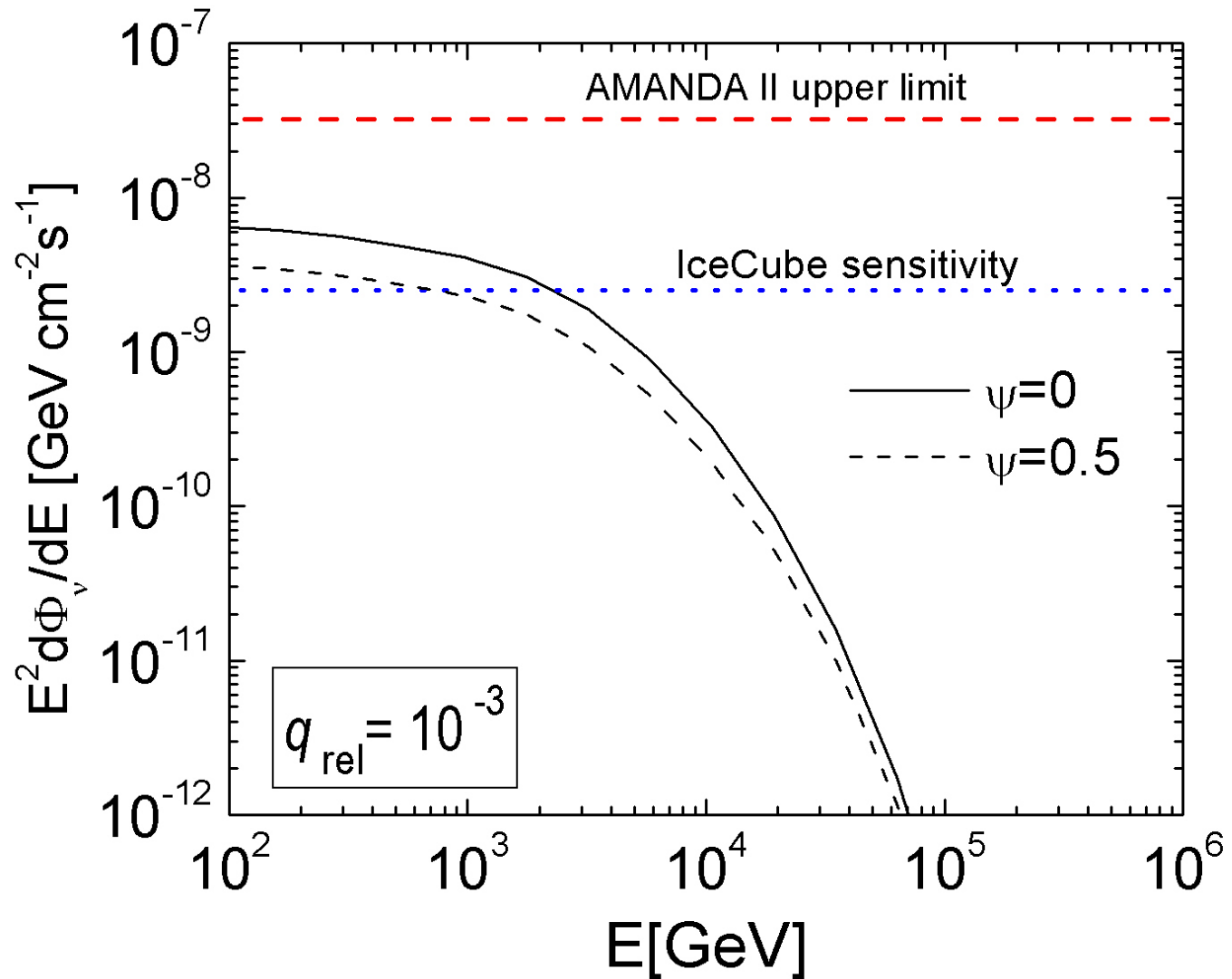
Differential ν_{α} flux at Earth [$\text{cm}^{-2} \text{s}^{-1} \text{GeV}^{-1}$]

$$\frac{d\Phi_{\nu_{\alpha}}(E)}{dE} = \frac{\Delta V}{d^2} \sum_{\nu_{\beta}} P_{\nu_{\beta} \rightarrow \nu_{\alpha}} Q_{\nu_{\beta}}(E) \exp[-\tau_{\nu}(E)]$$

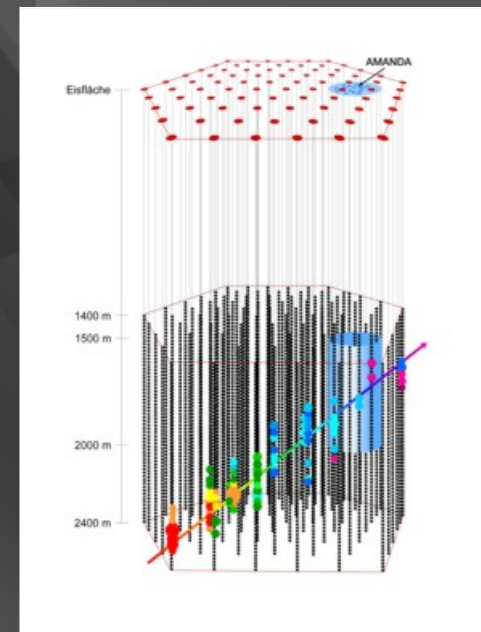
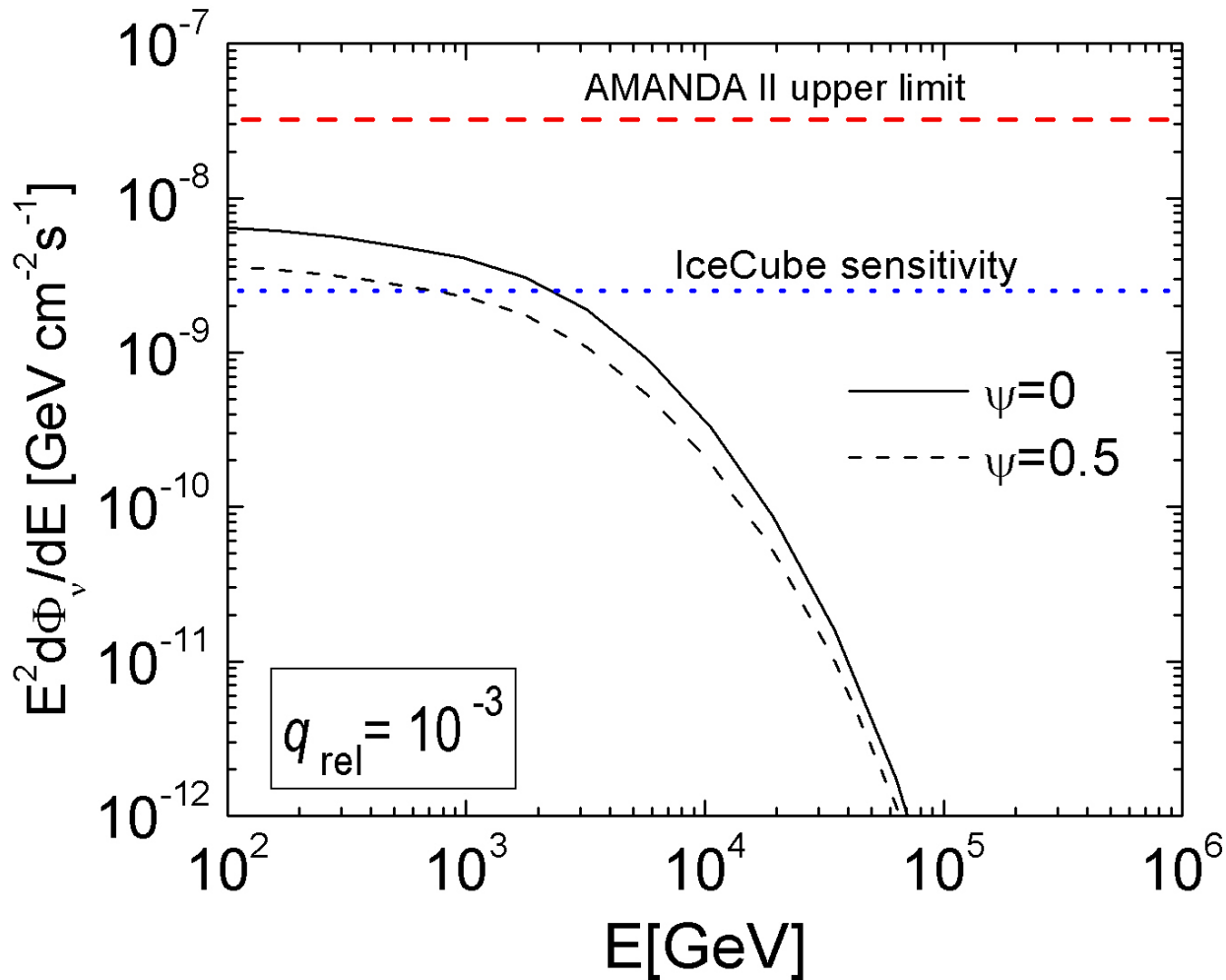
ν -Oscillation effect

Attenuation effect

Differential Neutrino flux at Earth



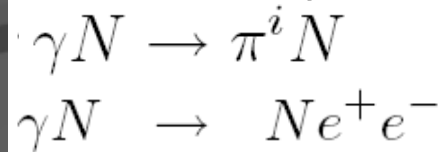
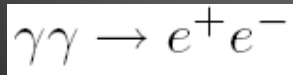
Integrated neutrino flux



Here, $q_{\text{rel}} = 10^{-3}$

Gamma-ray absorption in MQs

- ◆ γ -rays can be absorbed by:



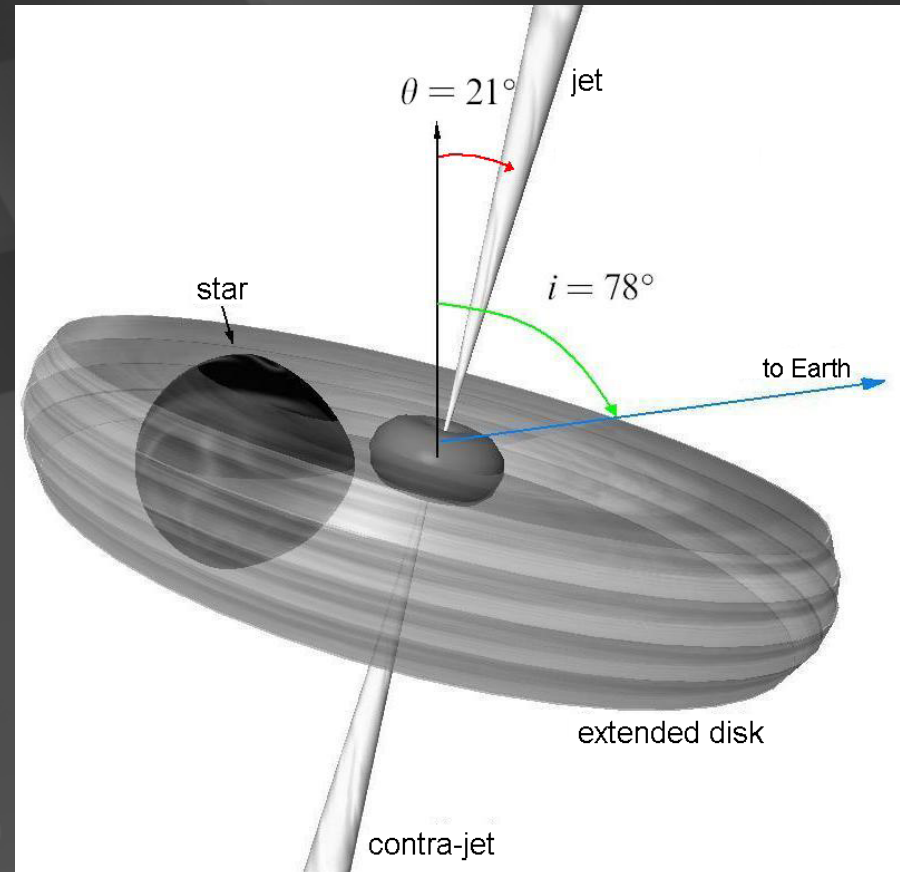
- ◆ Optical depth

$$\frac{dI_\gamma}{dl} = -\frac{I_\gamma}{\lambda_\gamma}$$

$$d\tau = dl/\lambda_\gamma$$

Differential optical depth

$$I_\gamma(E) = I_\gamma^{(0)}(E) \exp[-\tau(E)]$$



Absorption due to $\gamma\gamma$ interactions

- ◆ Differential optical depth (Gould & Schreder 1967)

$$d\tau_{\gamma\gamma} = (1 - \hat{e}_\gamma \cdot \hat{e}_{\text{ph}}) n_{\text{ph}} \sigma_{\gamma\gamma} d\rho_\gamma dE d\cos\theta' d\phi'$$

- ◆ Target photons from the star:

$$n_\star(E) = \frac{2E^2}{(hc)^3 (e^{E/kT_\star} - 1)} (\text{ph cm}^{-3} \text{erg}^{-1} \text{sr}^{-1})$$

with $T_\star = 8500$ K for SS433

- ◆ Target photons from the extended disk

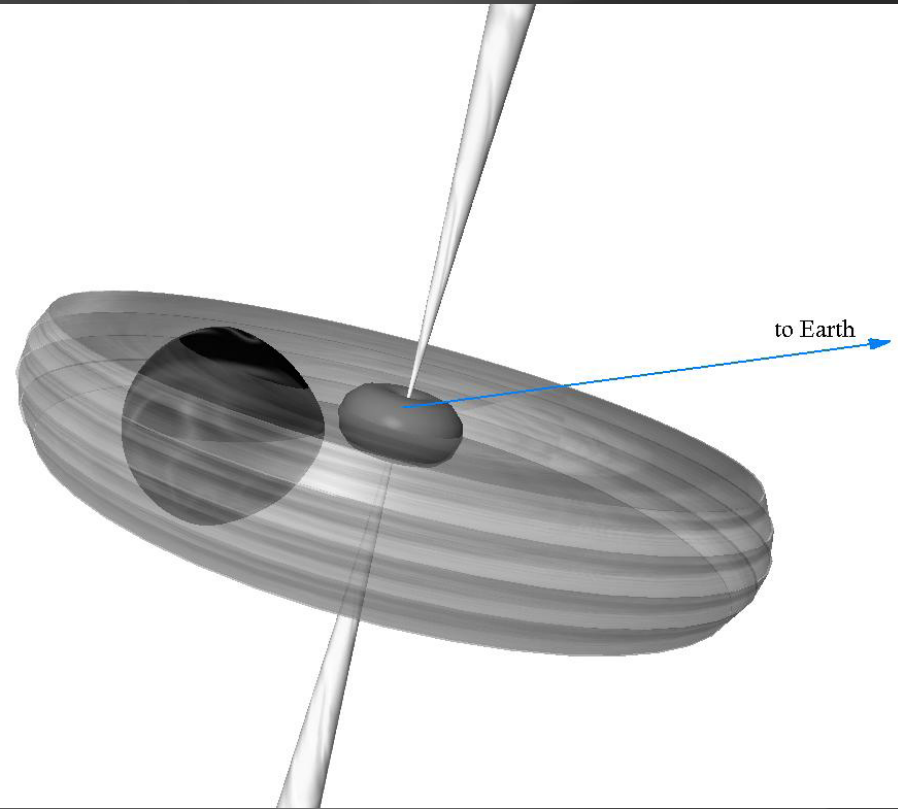
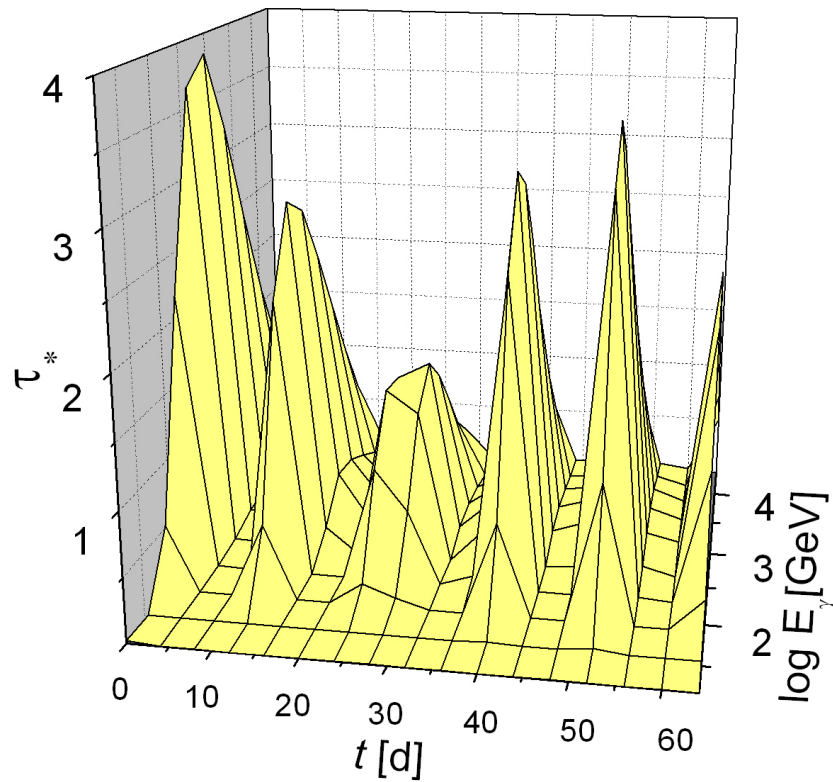
- ◆ UV emission: Black body with $T = 21000$ K, ($10^3 \text{ \AA} < \lambda < 10^4 \text{ \AA}$)
 $R_{\text{UV}} = 33 R_\star$ (Gies et al. 2002)

- ◆ IR emission: $n_{\text{ph}}(E) \propto E^{0.6}$, ($2 \mu\text{m} < \lambda < 12 \mu\text{m}$)
 $R_{\text{IR}} = 50 R_\star$ (Fuchs et al. 2005)

Gamma-ray absorption in SS433:

$\gamma\gamma$ absorption

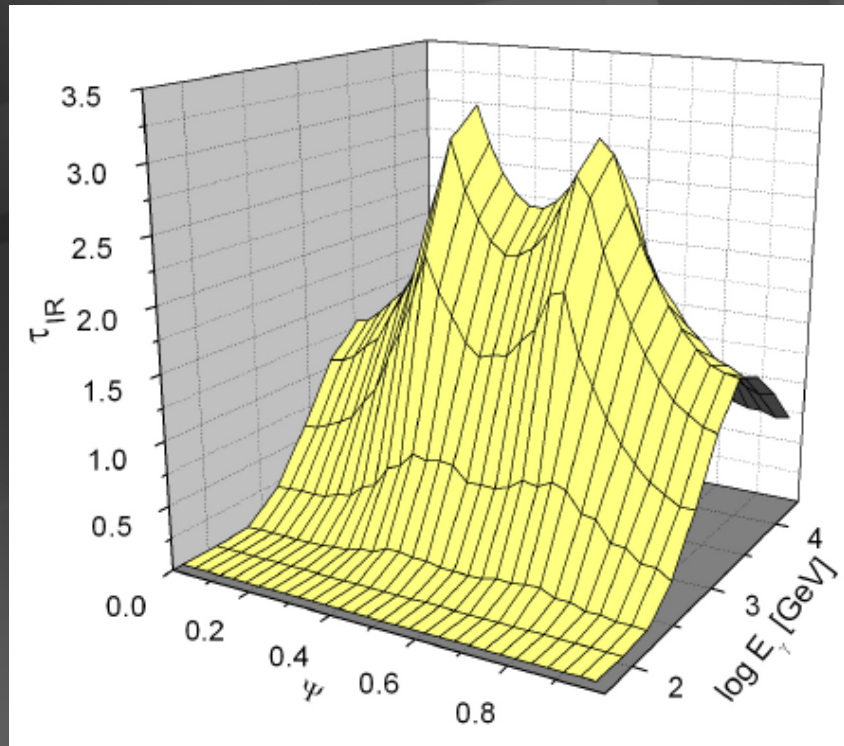
Starlight contribution



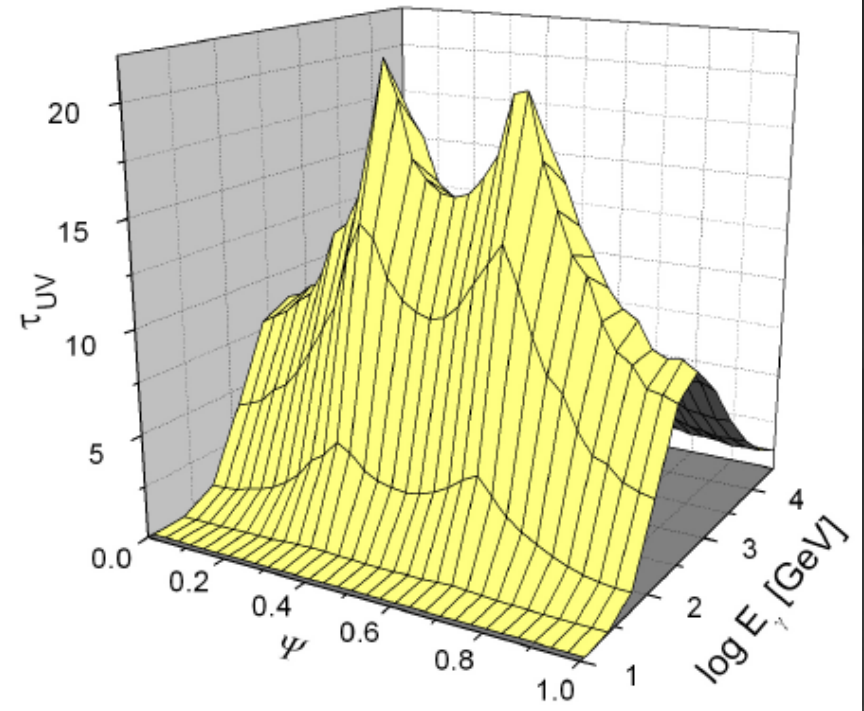
Gamma-ray absorption in SS433:

$\gamma\gamma$ absorption

Contribution due to IR emission



Contribution due to UV emission

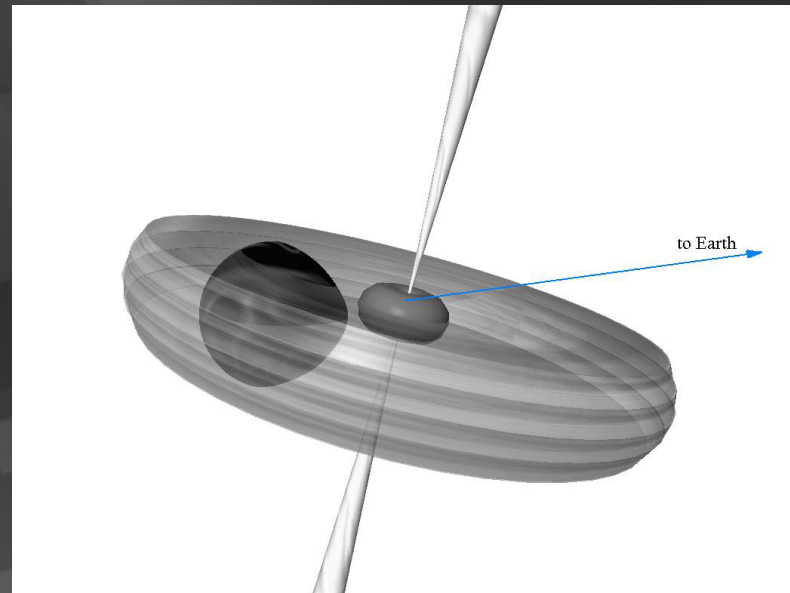
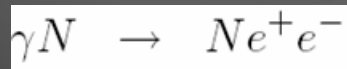


Absorption due to γN interactions

- Optical depth

$$\tau_{\gamma N}(\vec{z}_j) = \int_0^\infty d\rho_\gamma \sigma_{\gamma N} \frac{(\rho_\star + \rho_w)}{m_p}$$

Cross section $\sigma_{\gamma N}(E) = \sigma_{\gamma N}^{(e)}(E) + \sigma_{\gamma N}^{(\pi)}(E)$



Density of the star:

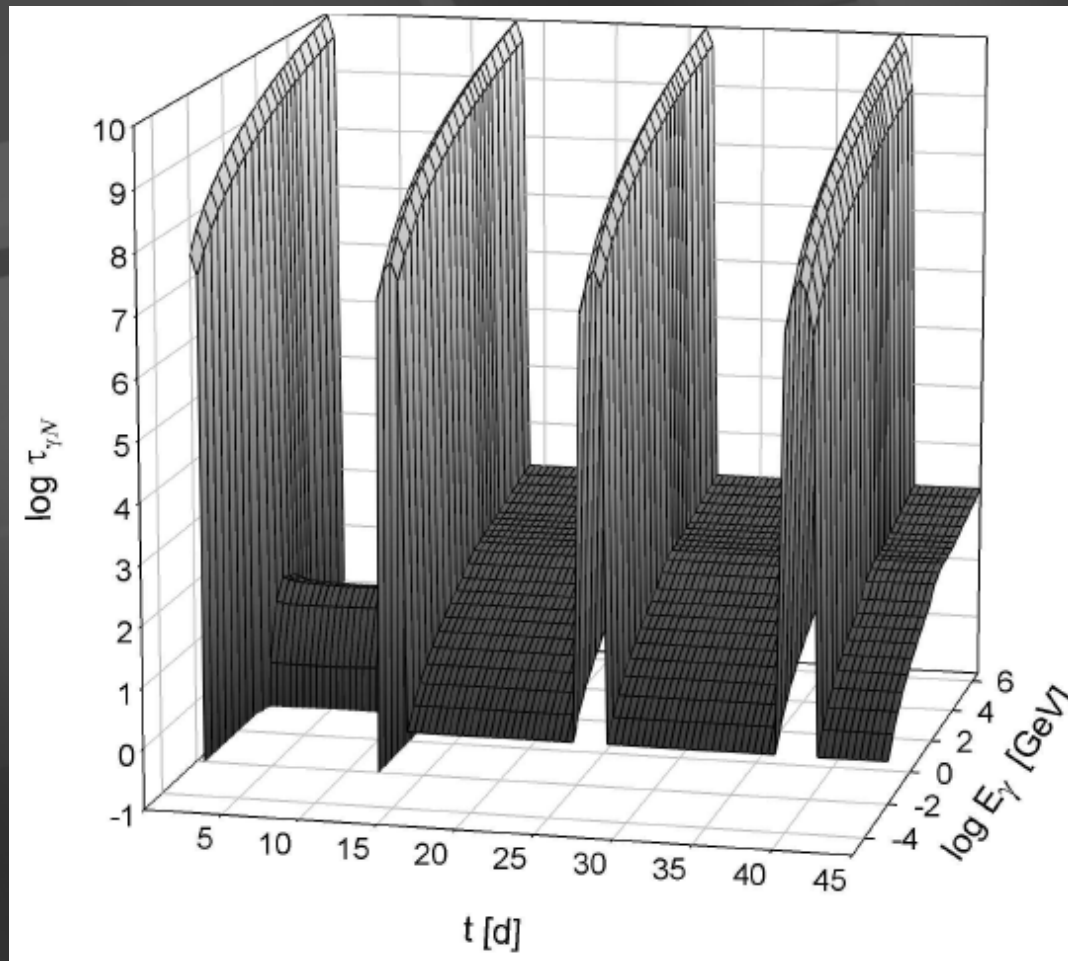
$$\rho_\star(r) = \frac{M_\star}{4\pi R_\star r^2} \Theta(r - R_\star)$$

Densidad of the extended disk:

$$\rho_w(r_\gamma, \theta_Z) = \frac{\dot{M}_w}{v_w \Delta\Omega r_\gamma^2}$$

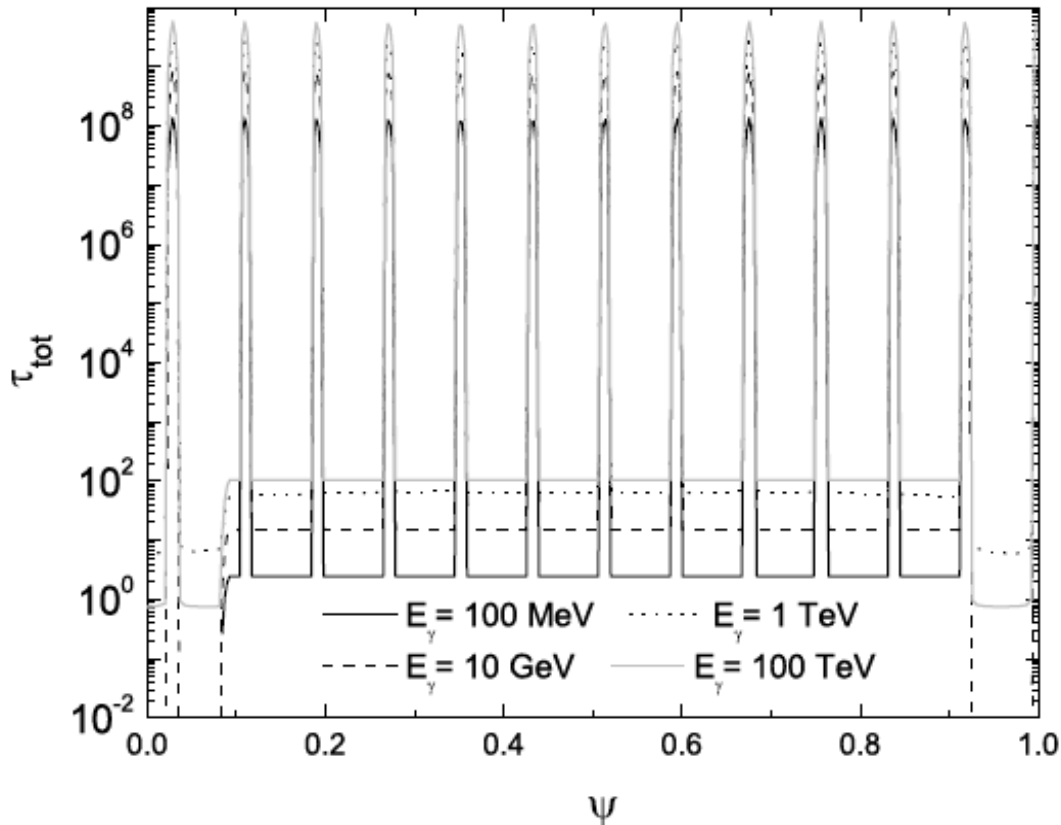
Gamma-ray absorption in SS433:

γN optical depth

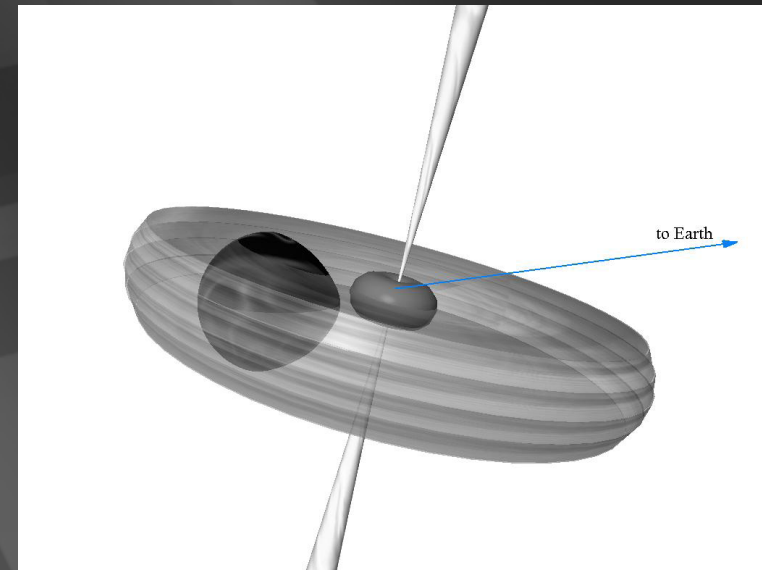


Gamma-ray absorption in SS433:

Total optical depth

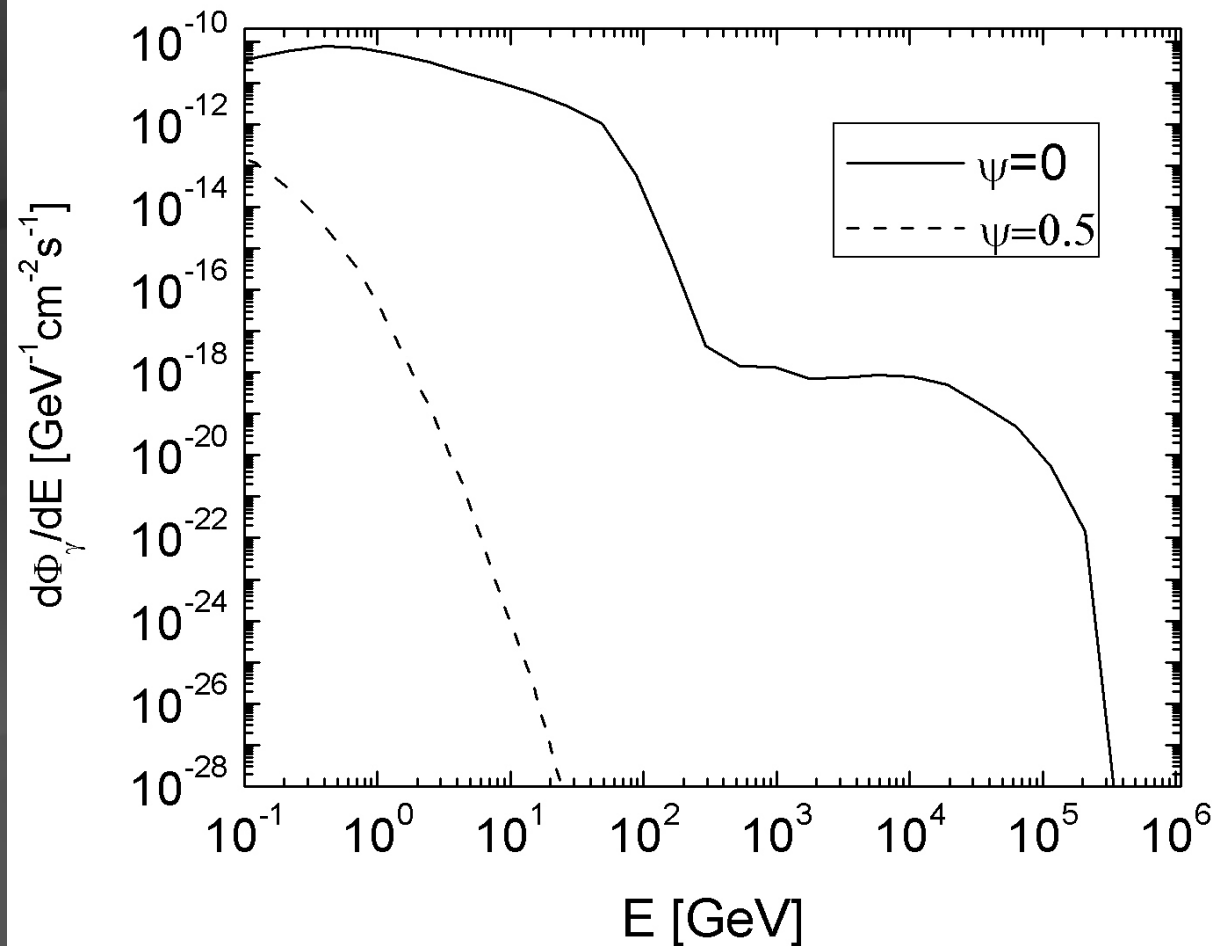


For γ -rays originated at jet base



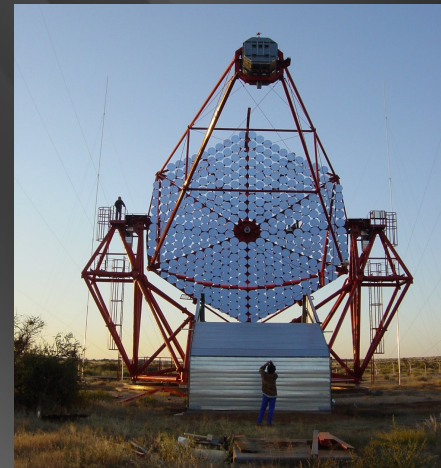
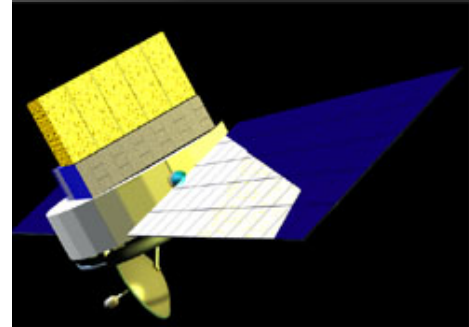
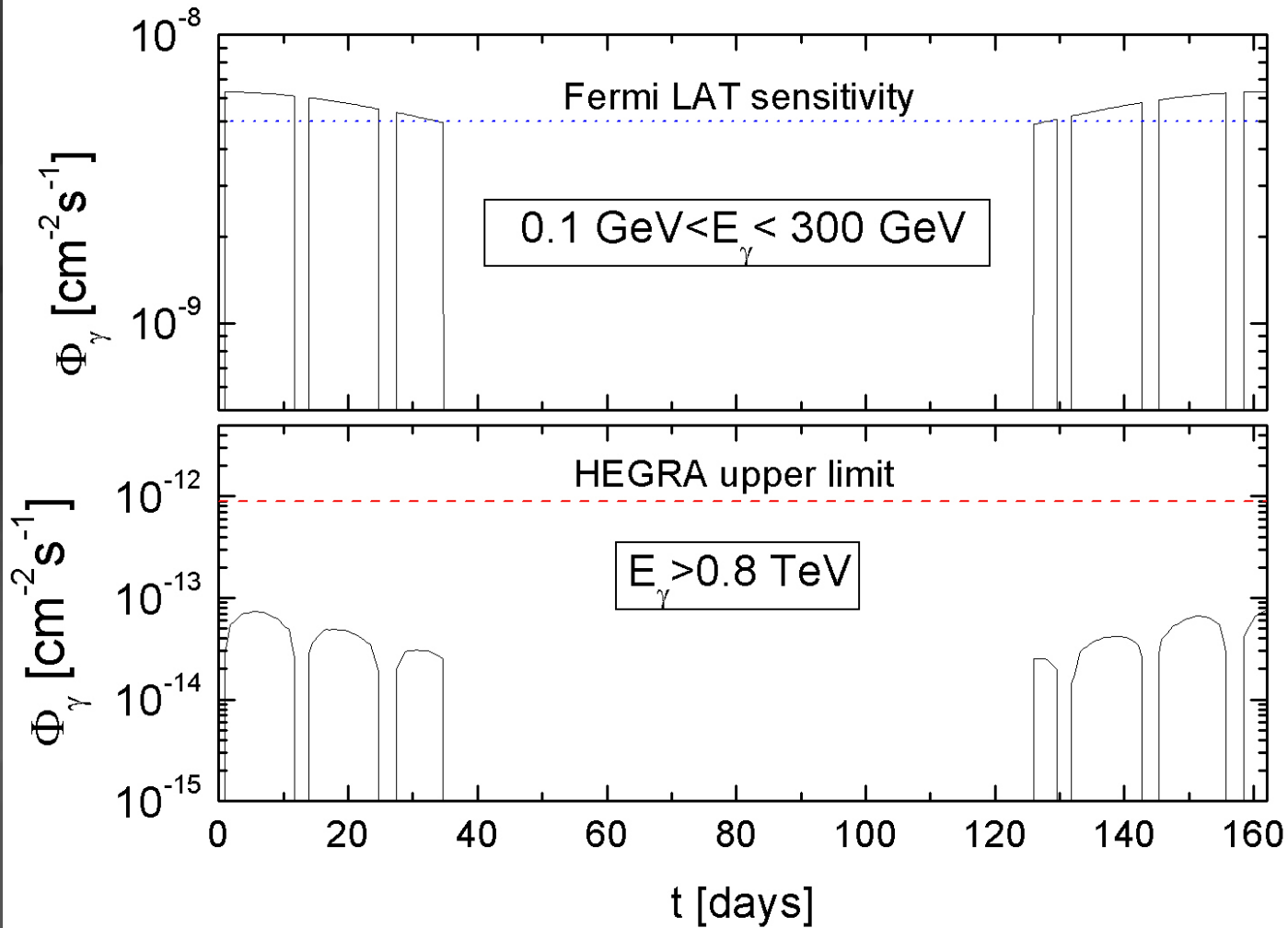
Effects on a gamma signal

$$\frac{d\Phi_\gamma(E)}{dE} = Q_\gamma(E) \frac{\Delta V}{d^2} \exp[-\tau_\gamma(E)]$$

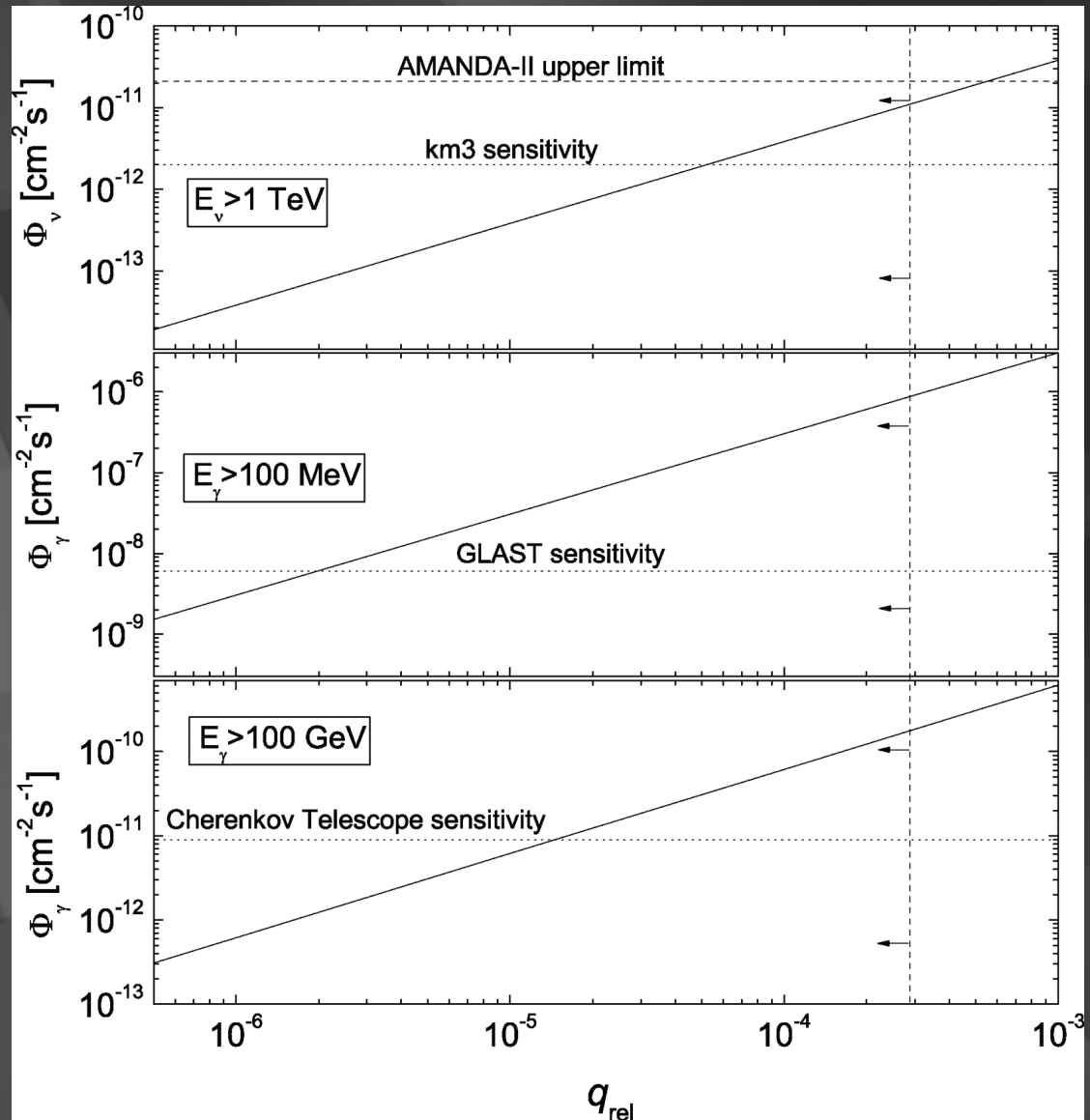
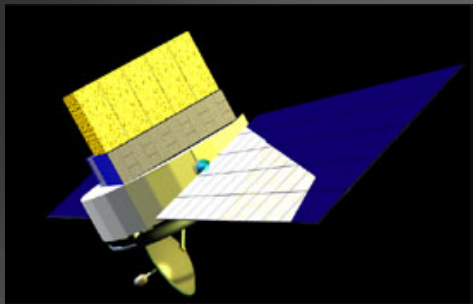
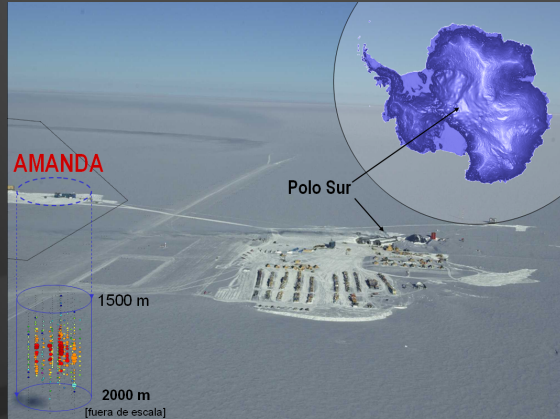


Gamma-Ray flux:

Integrated gamma-ray fluxes



Average fluxes as a function of $q_{rel} = L_{rel}/L_k$

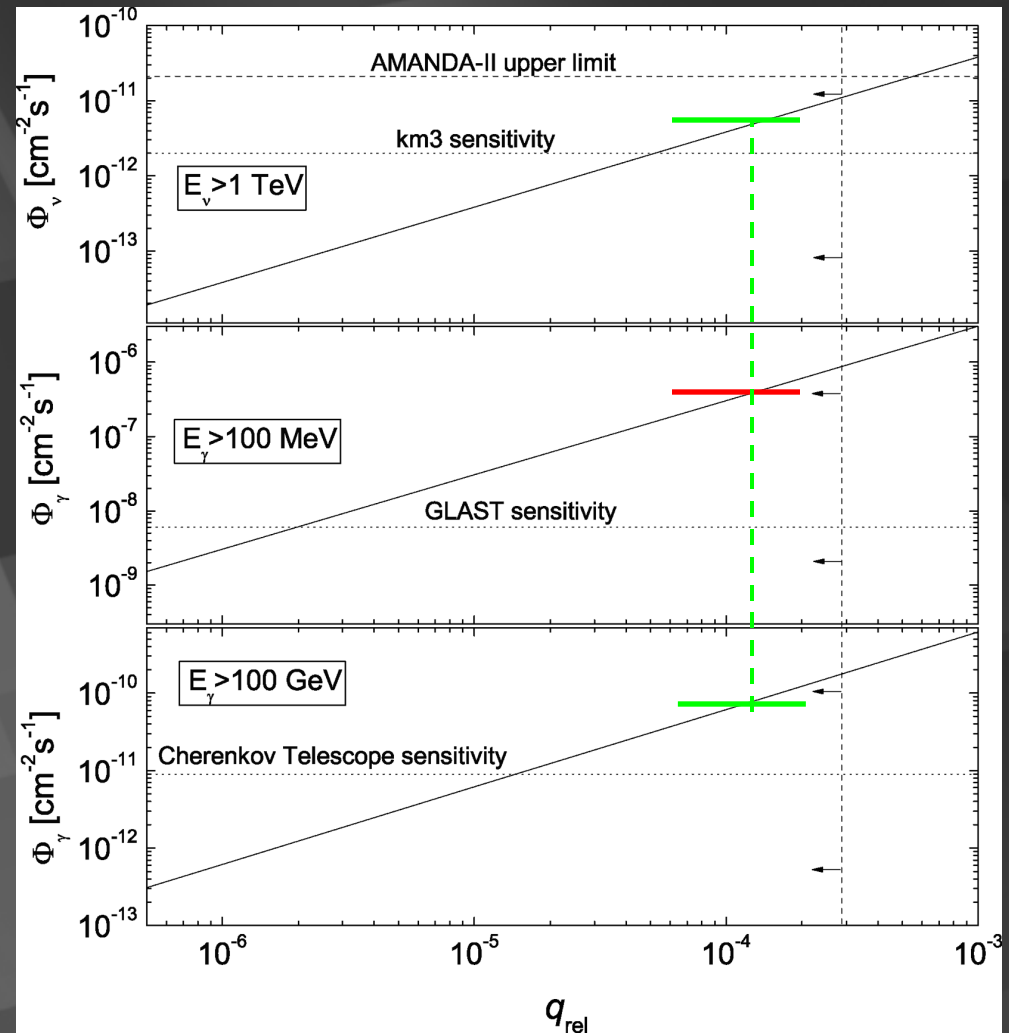


An example:

Suppose that Fermi Lat detects a signal which implies detection with Cherenkov telescopes and neutrino detection

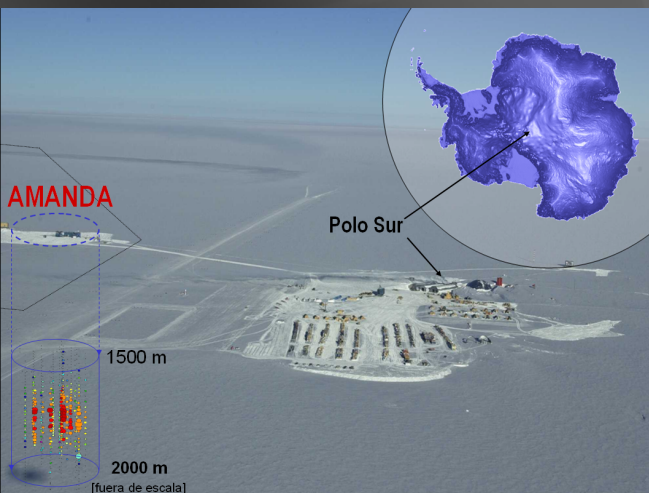
- Less neutrinos than expected. Possible reason: More gamma rays from leptonic origin
- More neutrinos than expected. Possible reason: γ -ray absorption overestimated
- Less (more) VHE gamma than expected. Possible reason: absorption under(over)estimated.

(work in progress)



Final comments

- ◆ Main conclusion: the consistency of the model will be tested with future neutrino and gamma-ray observations.
- ◆ Several parameters such as the magnetic field in the jet, the opening angle, and the power in relativistic particles are to be adjusted.
- ◆ Model should explain both gamma-ray observations at different energies and VHE neutrinos.
- ◆ A more realistic treatment is necessary: e.g. leave one-zone approximation.

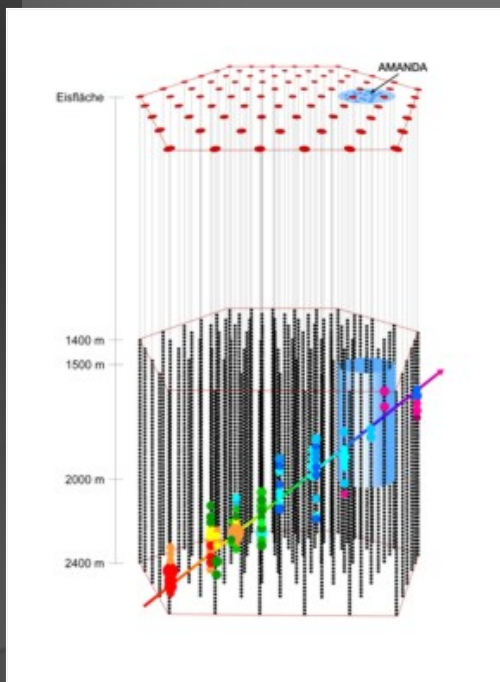


Future work

Consider a more complete transport equation:

$$\frac{\partial N(E, z, t)}{\partial t} + \frac{\partial}{\partial E} \left[N(E, z, t) \frac{\partial E}{\partial t} \right] + \frac{\partial N(E, z, t)}{\partial z} = Q(E, t) \delta(z - z_{\text{acc}})$$

Apply model to other jet systems such as AGNs and GRBs



Some useful references

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Thank you!!